

Answer Sheet Right Triangle: Practice Finding Area

Use the clues provided to find the area of each triangle. Show your work.

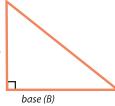
Review:

Triangle Area = $\frac{1}{2}$ x base x height

The base of a triangle can be any one of its sides.

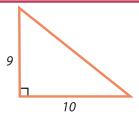
height (H)
The height is the distance from a base to its opposite point,
or vertex.

A base must be perpendicular to its height.



A right triangle is a triangle that has one right angle (90 degree angle). So the height is the side of a triangle.

Example:



Base =
$$\frac{10}{\text{ft.}}$$
 Height = $\frac{9}{\text{ft.}}$

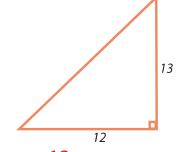
Area =
$$\frac{1}{2}$$
 x 10 x 9





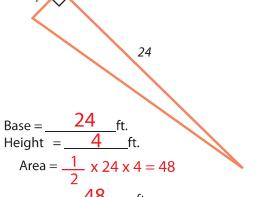
Base =
$$\frac{18}{8}$$
 ft.
Height = $\frac{8}{1}$ ft.
Area = $\frac{1}{2}$ x 18 x 8 = 72
= $\frac{72}{1}$ sq.ft.

2

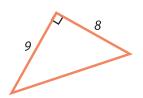


Base =
$$\frac{12}{13}$$
 ft.
Height = $\frac{13}{2}$ ft.
Area = $\frac{1}{2}$ x 12 x 13 = 78
= $\frac{78}{2}$ sq.ft.





4

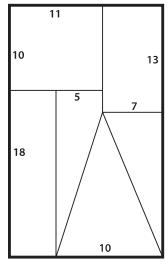


Base =
$$\frac{8}{9}$$
 ft.
Height = $\frac{9}{2}$ ft.
Area = $\frac{1}{2}$ x 8 x 9 = 36
= $\frac{36}{9}$ sq.ft.

Find the *perimeter* of each rectangle, then draw at least 2 rectangles that have the same perimeter. 6ft 8ft 7ft 8ft 10 ft 9ft 32ft 5ft 4ft 8ft 6ft 7ft 3ft 22ft 5ft 4ft 6ft 2ft 3ft 14ft

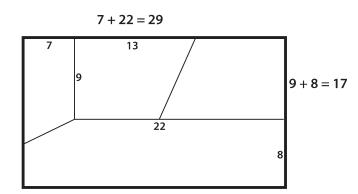
Finding Area: Medium Answer sheet

11 + 7 = 18

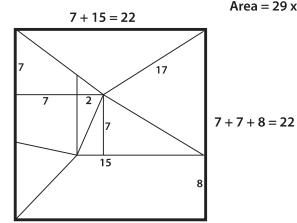


10 + 18 = 28

Area = $18 \times 28 = 504 \text{ sq.ft.}$



Area = $29 \times 17 = 493 \text{ sq.ft.}$



Area = $22 \times 22 = 484 \text{ sq.ft.}$

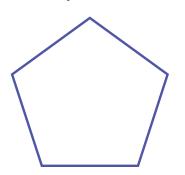
Pentagon: Calculating Area



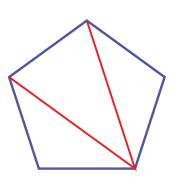
Various answers can apply. Here are a few examples.

A pentagon contains many shapes that you probably already know. Use a ruler to divide the pentagon into regular shapes that you are familiar with. Then, name the shapes you created. This will help you practice finding the area of irregular shapes.

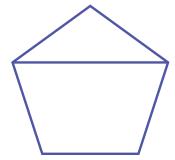
Example:



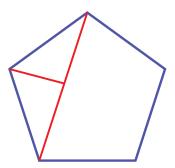
One pentagon



Three triangles

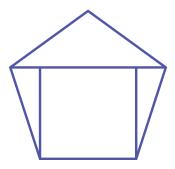


One triangle One trapezoid

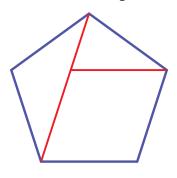


Two triangles

One trapezoid

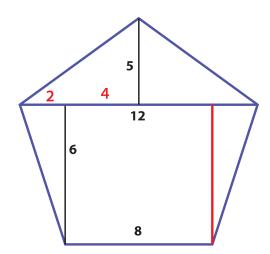


Three triangles One rectangle



One trapezoid

Two triangles



Challenge!

Calculate the area of this pentagon using the heights and lengths of the geometric shapes.

triangle area = $\frac{1}{2}$ base x height

$$\frac{1}{2}$$
 2 x 6 = 6

$$\frac{1}{2}$$
 6 x 5 = 15

$$6 \times 2 \text{ triangles} = 12$$

$$15 \times 2 \text{ triangles} = 30$$

rectangle area = length x width

$$8 \times 6 = 48$$

$$12 + 30 + 48 = 90$$



Find the *perimeter* of each rectangle, then draw at least 2 rectangles that have the same perimeter. 8ft 15ft 10ft 5ft 12ft 10ft 40 ft 3ft 5ft 6ft 9ft 6ft 7ft 24 ft 5ft 10 ft 9ft 7ft 8ft 12 ft 34 ft

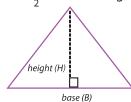


Help Mr. Rabbit find his new home. The total area of his place has to be at least 60 square feet. This includes the area of a roof (triangle) plus the area of the house (rectangle).

Review:

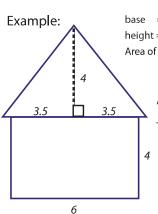
Rectangle Area = length x width

Triangle Area = $\frac{1}{2}$ x base x height



The base of a triangle can be any one of its sides. The height is the distance from a base to its opposite point, or vertex.

A base must be perpendicular to its height.



base =
$$3.5 + 3.5 = 7$$

Area of the roof $=\frac{1}{2}$ x base x height $=\frac{1}{2} \times 7 \times 4 = 14$

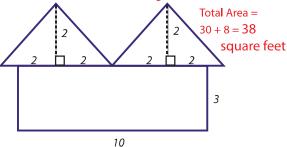
Area of the rectangle = $6 \times 4 = 24$

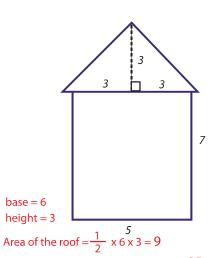
Total area = 14 + 24 = 38 square feet.



Area of the roof =
$$\frac{1}{2}$$
 x 4 x 2 = 4 4 x 2 = 8

Area of the rectangle = $10 \times 3 = 30$



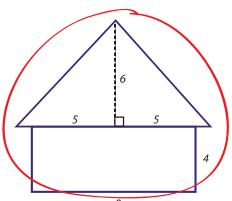


base = 8

height = 45 Area of the roof = $\frac{1}{2}$ x 8 x 4 = 16

Area of the rectangle = $5 \times 5 = 25$

Total Area = 16 + 25 = 41 square feet



base = 10height = 6

Area of the rectangle = $7 \times 5 = 35$ Total Area = 9 + 35 = 44 square feet Which home should Mr. Rabbit move into? Circle it. Area of the roof = $\frac{1}{2}$ x 10 x 6 = 30

Area of the rectangle = $4 \times 8 = 32$

Total Area = 30 + 32 = 62 square feet

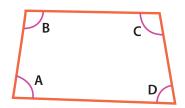
base = 6

More worksheets at www.education.com/worksheets



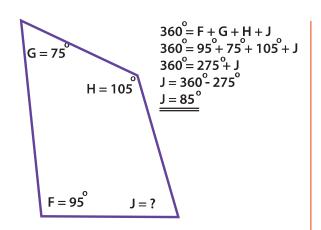
Answer Sheet The Missing Angle: Quadrilaterals

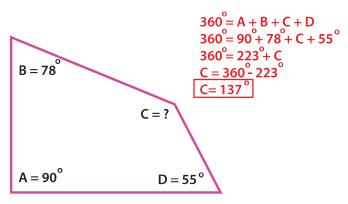
In every quadrilateral, all four angles add up to 360 $^{\circ}$.

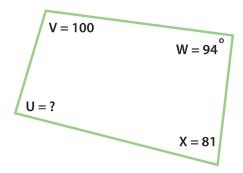


$$360 = A + B + C + D$$

Use this rule to find the missing angle in the quadrilaterals. See the example.

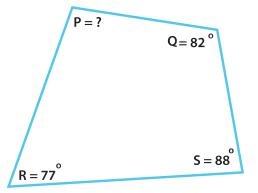


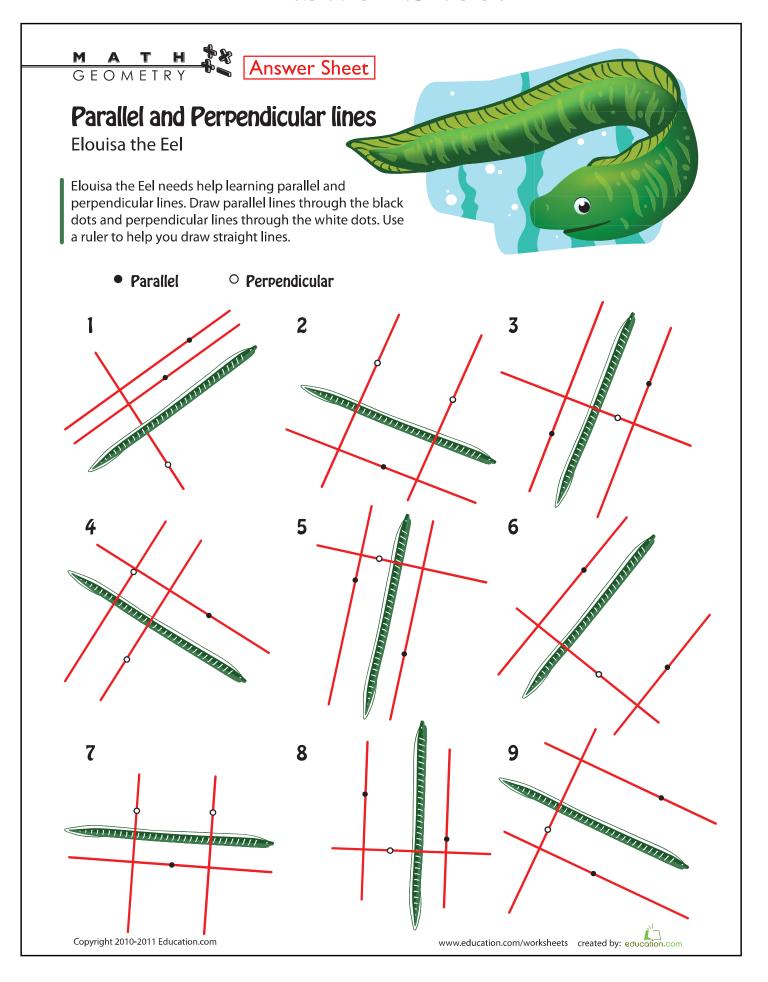




$$360^{\circ} = U + V + W + X$$

 $360^{\circ} = U + 100^{\circ} + 94^{\circ} + 81^{\circ}$
 $360^{\circ} = 275^{\circ} + U$
 $U = 360^{\circ} - 275^{\circ}$
 $U = 85^{\circ}$







Steering a ship requires practice and precision. It also requires you to think about math and angles.

Turn the ship's wheel according to the angle measurements given. See the examples below. With each new turn, indicate the ship's new direction by drawing a line towards it. Turn clockwise if the angle is positive, counterclockwise if it is negative. Use a ruler to help you draw straight lines.



	1	2	3	4	5	6	7	8	9	10	11	12
Turn Degrees	+26°	+37°	-51°	+153°	-92°	-30°	-9 °	+185°	-67°	+49°	+93°	-60°
New Direction	26°	63°	12°	165°	73°	43°	34°	219°	152°	201°	294	234°

